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Current Effects of Human-Induced Climate Change on California Drought

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Science Review
12-14 May 2015
Boulder, Colorado



Multivariate Assessment on 2011-2014 California Drought:

- Use historical observed **Precipitation** to characterize the 3-year CA drought

What is the *human-induced* climate change effect on California drought?

- Use **Precipitation** and **Soil Moisture** from historical CCSM4 simulations

Case 1: California Drought using Precipitation Observations

Data: from CA Climate Division Precipitation Data (Oct. 1895~ Sep. 2014)

A time series of 119-year record of water year (hereafter, WY, accumulated from Oct. to Sep. next year) anomalies (i.e., departures from the climatological mean value).

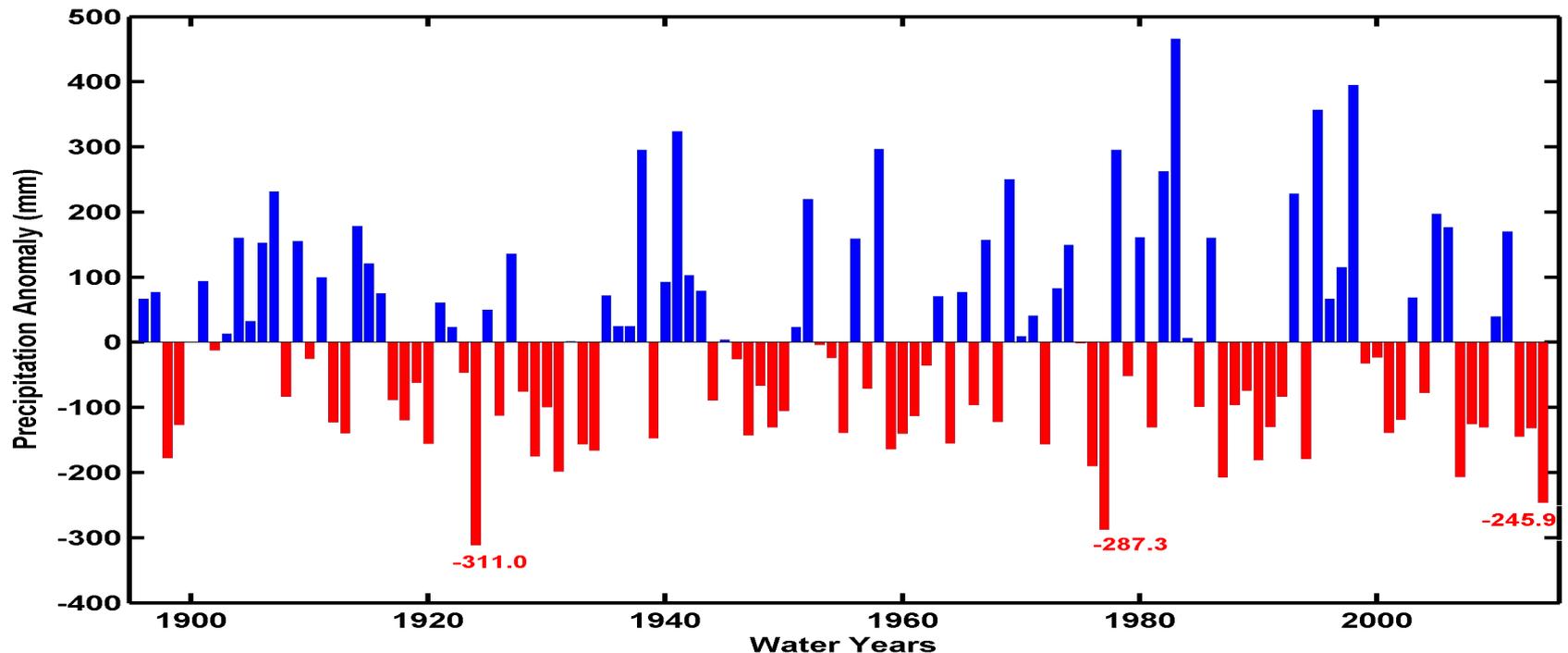


Figure 1 119-year Water Year Precipitation Anomaly

Case 1: Using observed **Precipitation** Anomalies

Bivariate Analysis: Drought Severity and Duration

Define:

Drought Duration : defined as the number of consecutive intervals (e.g., d_i is no. of years) where anomalies remain below the threshold value (i.e., climatology mean of CA precipitation = 563 mm)

Drought Severity: defined as cumulative anomalies during a drought period,

$$\text{i.e., } S_i = - \sum_{j=1}^{d_i} \text{Anomalies}_j$$

(note: the negative of anomalies is used in Case 1 for convenience)

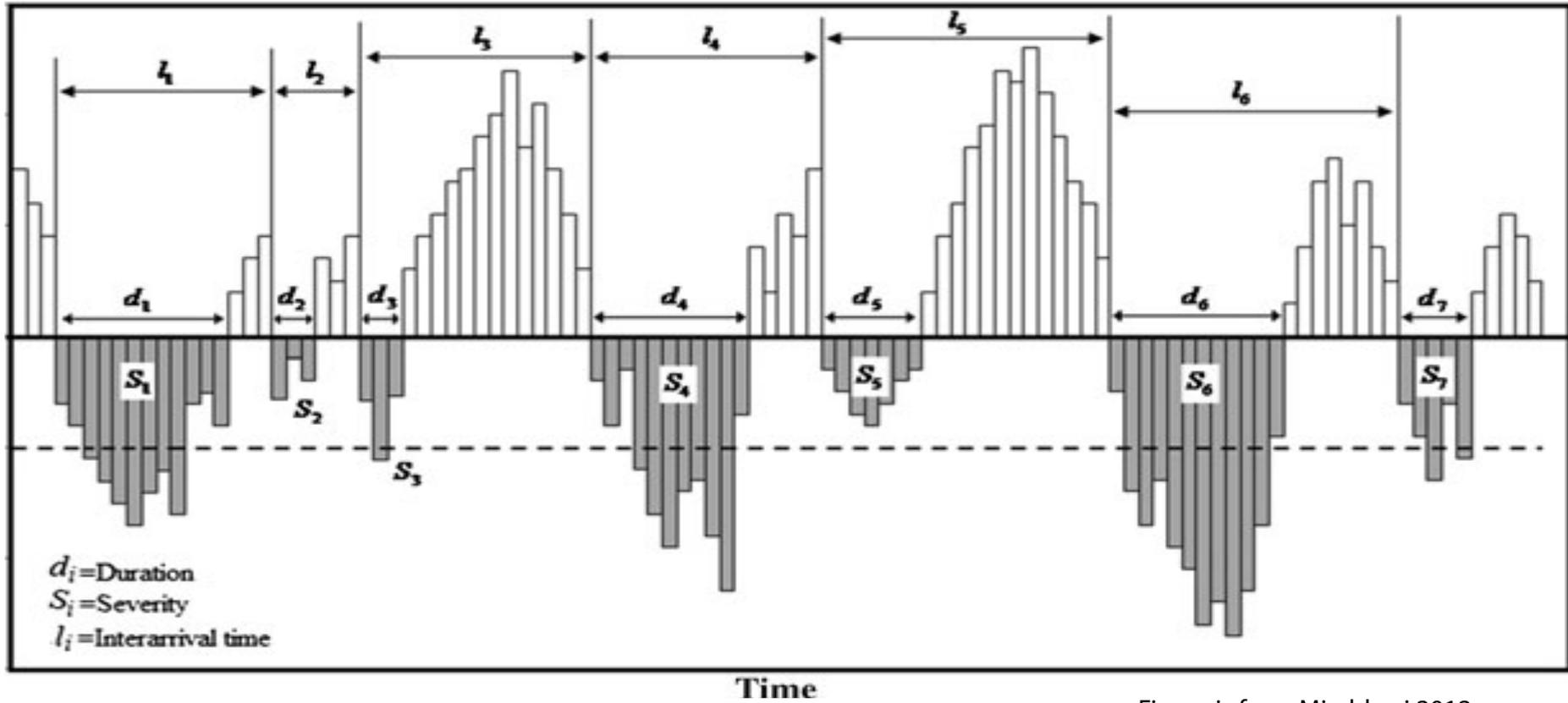
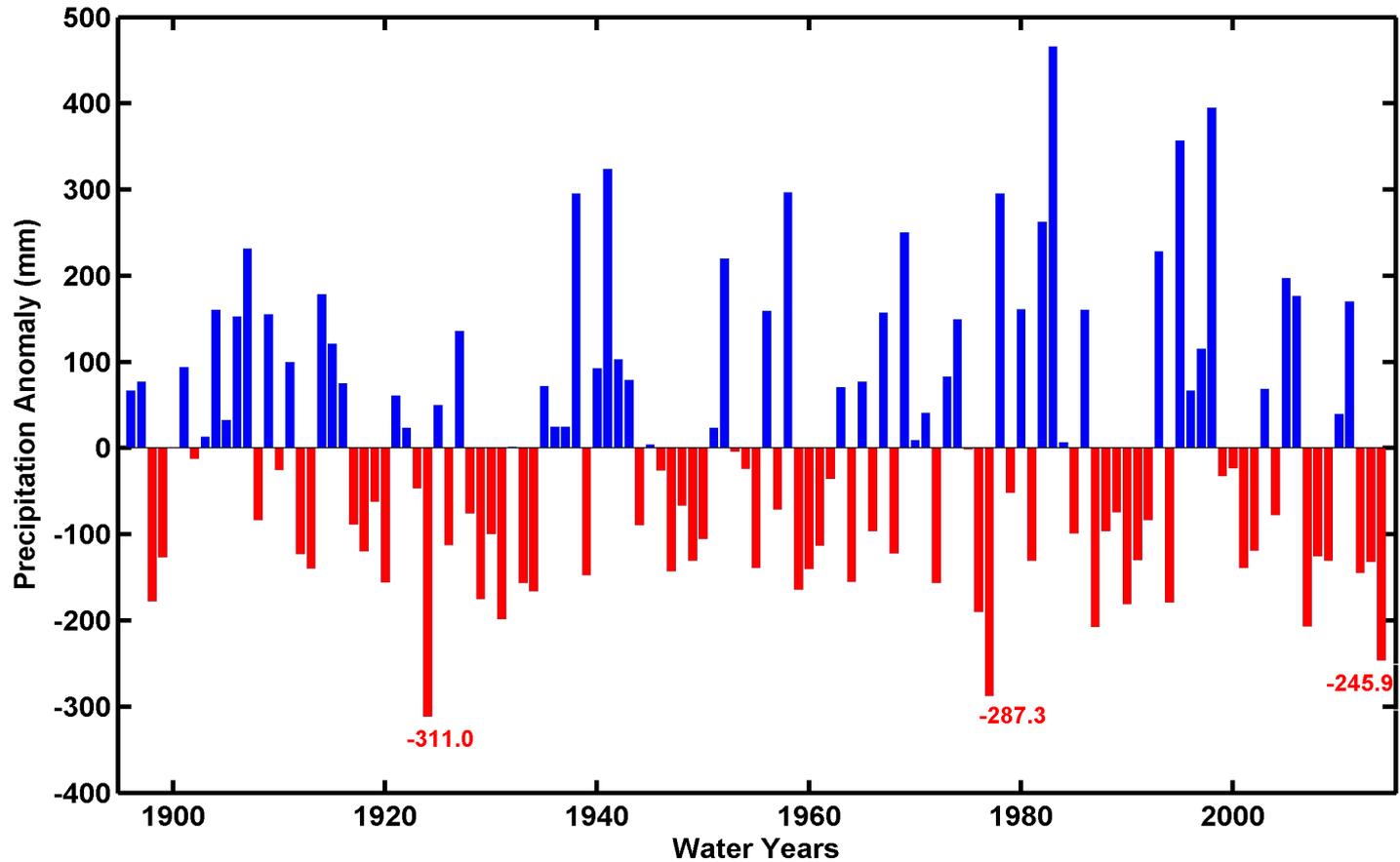


Figure is from Mirabbasi 2012 paper



Total drought events in history are 30 events.

Case 1: Drought Severity and Duration using *Precipitation* Observations

Univariate: the current CA drought duration is 3 years (ranked 7th, Return Period = 19 yr)
the 3-year precipitation deficit is 522 mm (ranked 3rd, Return Period = 41 yr)

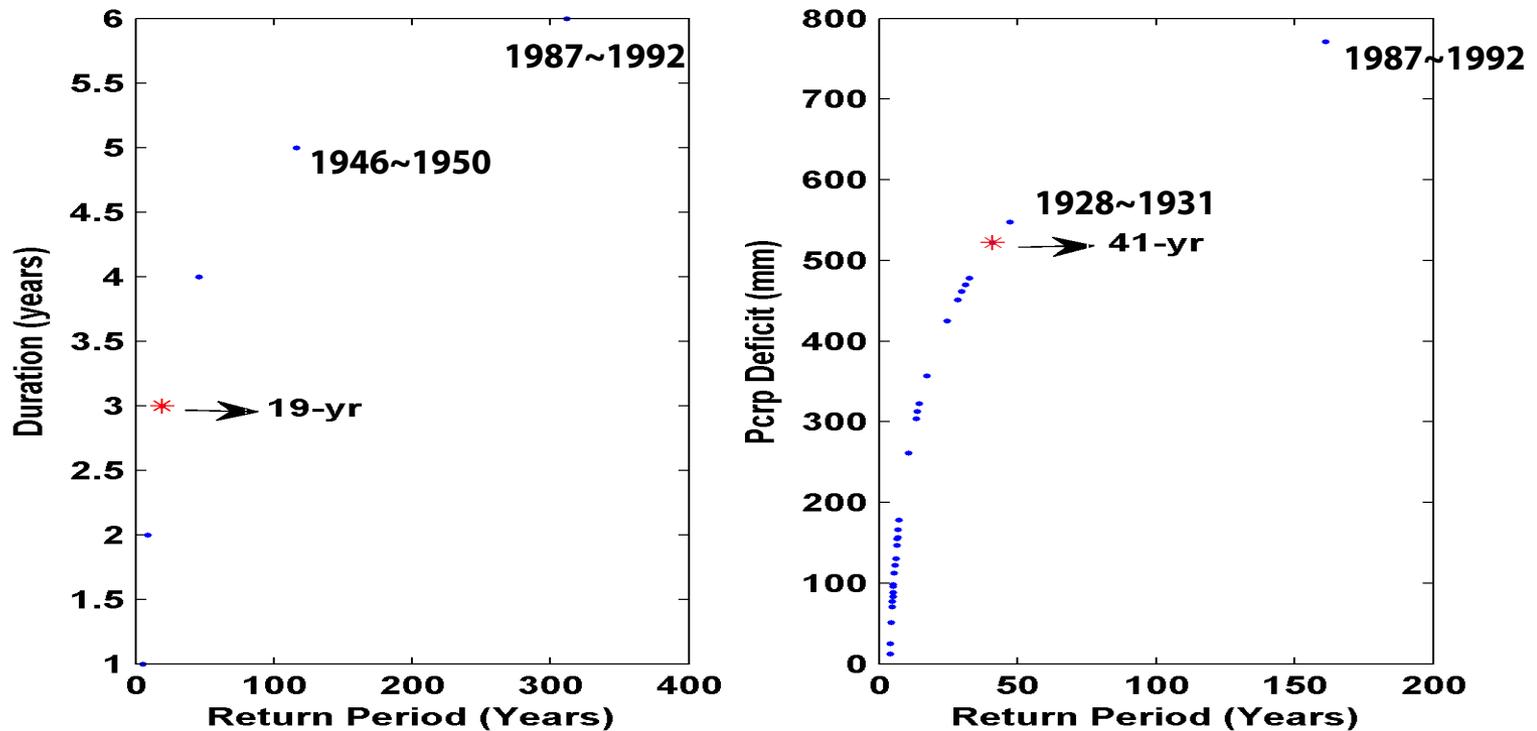


Figure 2 Univariate return period for drought duration (left) and severity (right) fitted to Gamma distribution

Assuming two variables (duration) and (severity) with cumulative distribution functions:

$$F_X(x) = \Pr(X \leq x) \text{ and } F_Y(y) = \Pr(Y \leq y)$$

the copula (C) can be used to obtain their joint distribution function:

$$F(x, y) = C(F_X(x), F_Y(y))$$

| | | | | |
|-----------------|--|--------------------------------|---|---|
| Gaussian | $\Phi_G[\Phi^{-1}(u_1), \Phi^{-1}(u_2); \theta]$ | $-1 < \theta < +1$ | $\frac{2}{\pi} \arcsin(\theta)$ | $\frac{6}{\pi} \arcsin(\frac{\theta}{2})$ |
| Clayton | $(u_1^{-\theta} + u_2^{-\theta} - 1)^{-1/\theta}$ | $\theta \in (0, \infty)$ | $\frac{\theta}{\theta+2}$ | * |
| Frank | $-\frac{1}{\theta} \log \left(1 + \frac{(e^{-\theta u_1} - 1)(e^{-\theta u_2} - 1)}{e^{-\theta} - 1} \right)$ | $\theta \in (-\infty, \infty)$ | $1 - \frac{4}{\theta} [1 - D_1(\theta)]$ | $1 - \frac{12}{\theta} [D_1(\theta) - D_2(\theta)]$ |
| Ali-Mikhail-Haq | $u_1 u_2 (1 - \theta(1 - u_1)(1 - u_2))^{-1}$ | $-1 \leq \theta \leq 1$ | $(\frac{3\theta-2}{\theta})$ | * |
| | | | $-\frac{2}{3} (1 - \frac{1}{\theta})^2 \ln(1 - \theta)$ | |

Case 1: Drought Severity and Duration using *Precipitation* Observations

Bivariate Return Period: Joint analysis of CA drought duration and severity using copulas

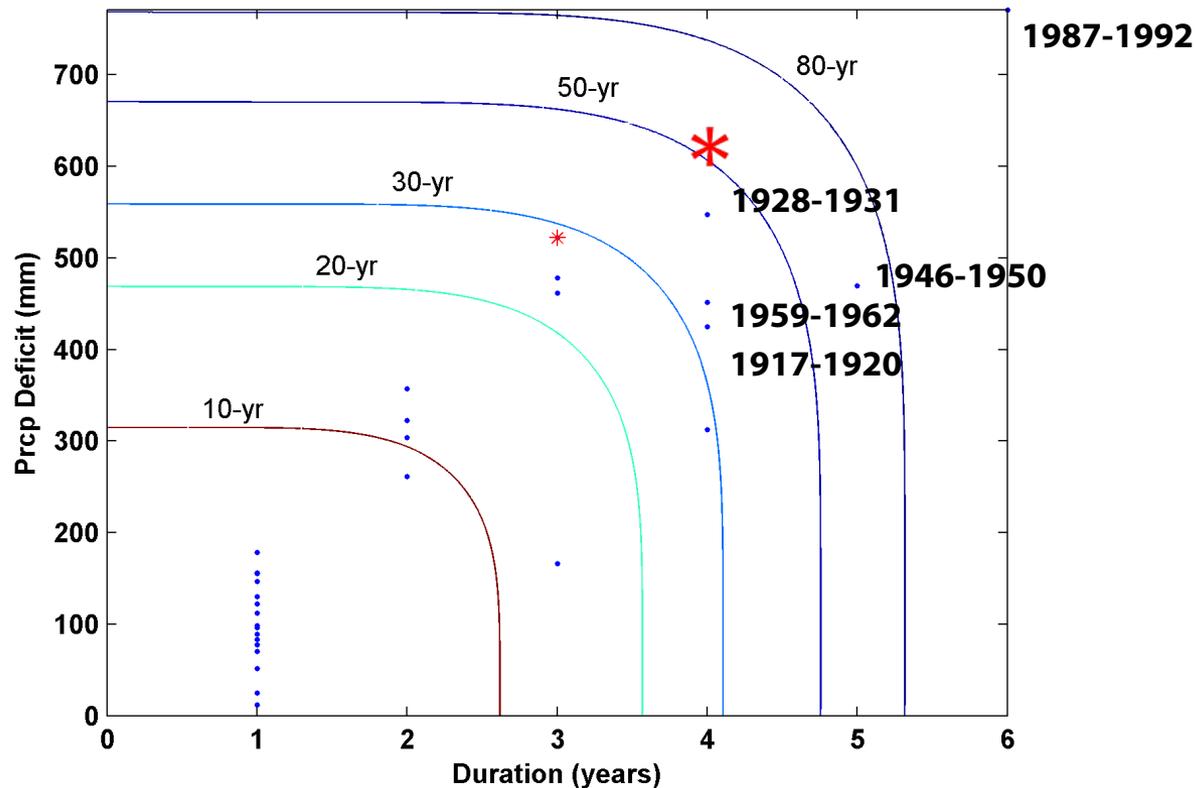


Figure 3 Joint return period of CA drought duration and severity

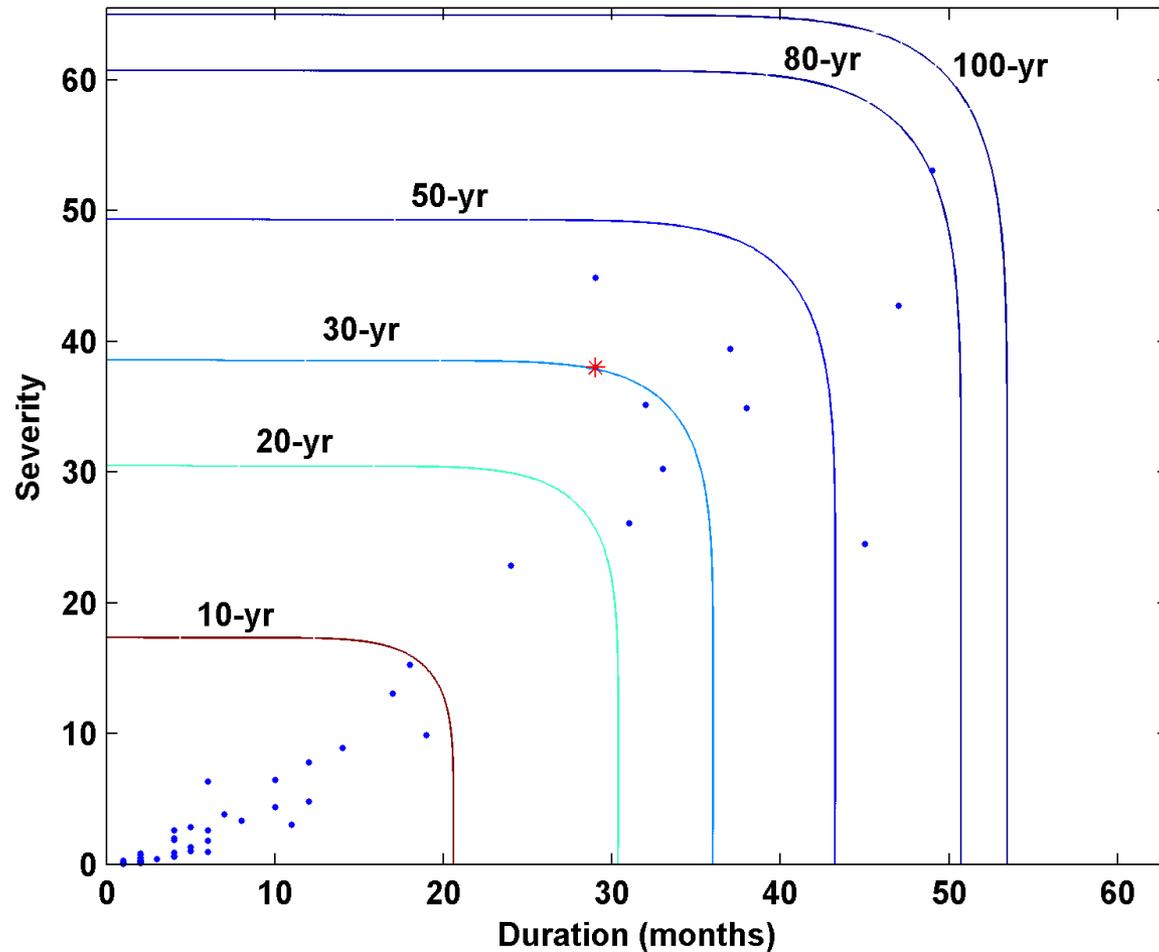
Bivariate Return Period: Joint analysis of CA drought duration and severity based on **SPI**

Figure 4 Joint return period of CA drought duration and severity based on observed SPI18

Multivariate Assessment on California Drought:

- Use **Precipitation** from Climate Division and CCSM4 simulations

What is the *human-induced* climate change effect on California drought?

- Use **Precipitation** and **Soil Moisture** from historical CCSM4 simulations

Two equilibrium runs with 2000-year monthly data

Y1850: preindustrial
Y2000: industrial (current climate)

| Climatology Mean (WY) | Temp | WY Prcp | SM 10cm | SM 1m |
|-----------------------|----------|----------|-------------------------|--------------------------|
| Y1850 | 14.57 °C | 762.31mm | 22.31 kg/m ² | 218.87 kg/m ² |
| Y2000 (warm wet) | 16.22 °C | 817.0 mm | 22.33 kg/m ² | 220.39 kg/m ² |
| Y2000-Y1850 | 1.65 °C | 54.69 mm | 0.02 kg/m ² | 1.52 kg/m ² |

Statistics of two runs:

- Soil moisture at 10cm is very close in Y1850 and Y2000
- Y2000 has more deep soil moisture than Y1850

Case 2: ***Precipitation*** and ***Soil Moisture*** (at 10cm) from Y1850 and Y2000

Data: simulated Precipitation and Soil Moisture at 10cm from CCSM4 Model
two runs with 2000 period: Y1850: preindustrial; Y2000: industrial

Bivariate Analysis: 2~4-yr WY total prcp anomalies and WY averaged soil moisture anomalies (baseline is the climatology of Y1850).

Case 2: *Precipitation* and *Soil Moisture* (at 10cm) from Y1850 and Y2000

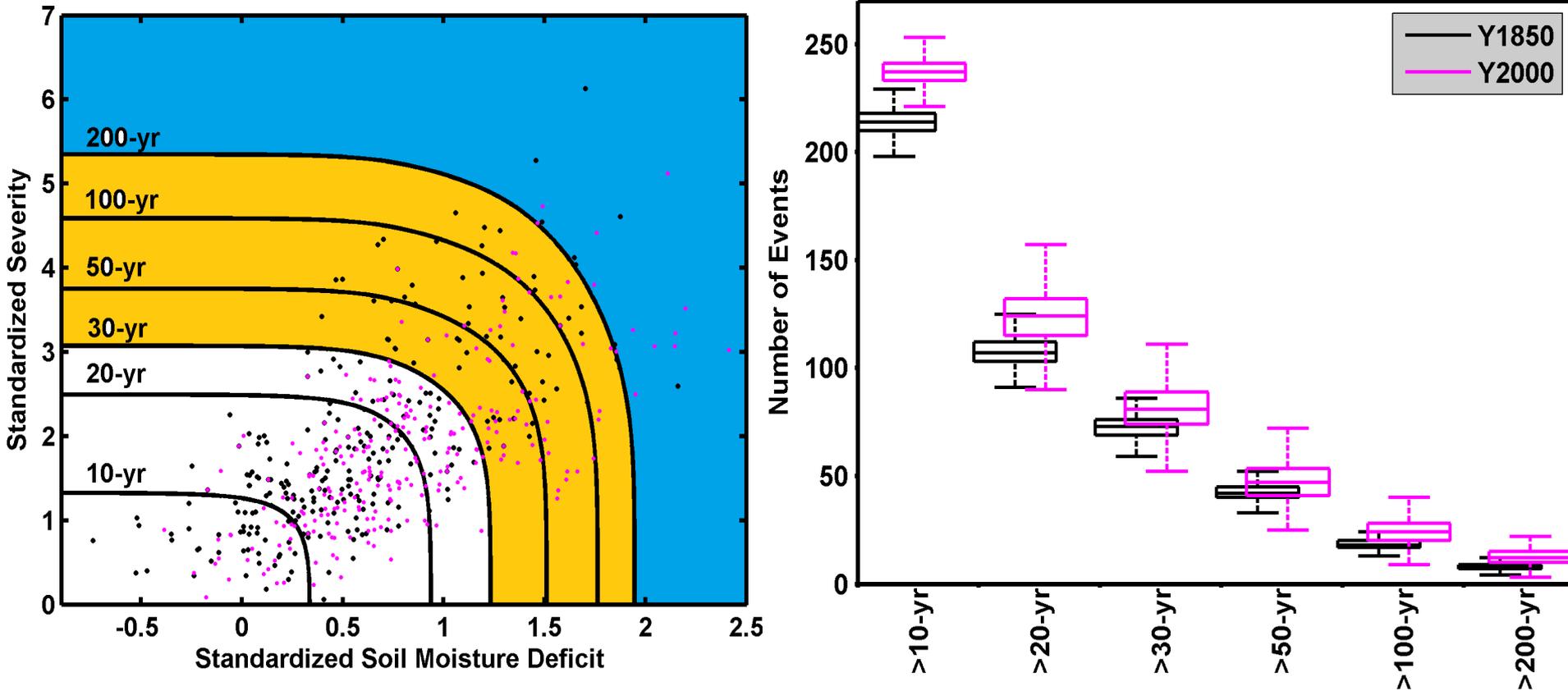


Figure 5 Joint return period of precipitation anomalies and SM anomalies at 10cm using Y1850 (black dots) and Y2000 (blue dots); joint contour line is based on Y1850

Case 3: *Precipitation* and *Soil Moisture* (at 1 m) from Y1850 and Y2000

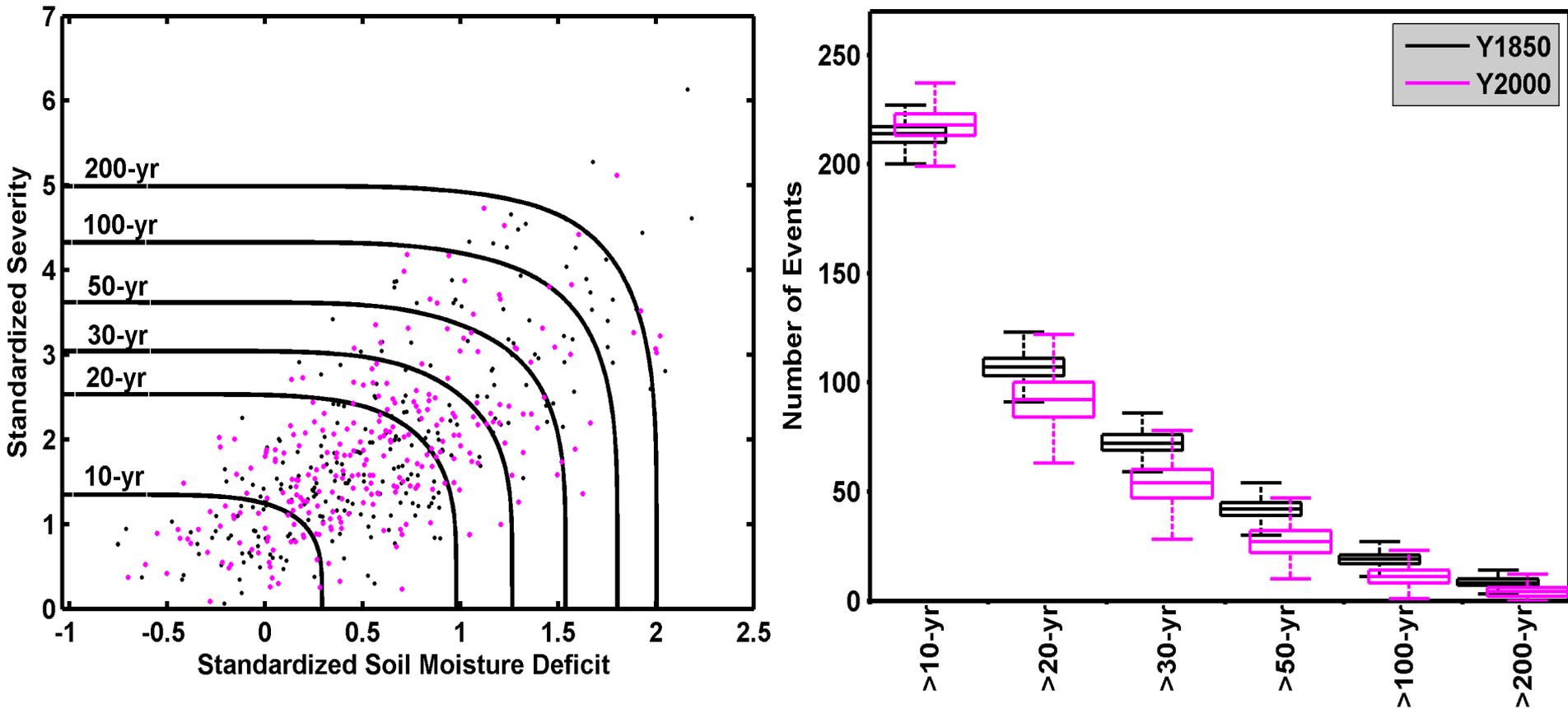


Figure 6 Joint return period of precipitation anomalies and SM anomalies at 1m using Y1850 (black dots) and Y2000 (blue dots); joint contour is based on Y1850

Summary and Conclusions

- The 2011-2014 (3-year) CA drought is *not an exceptional rare event* from the bivariate perspective of duration and severity using precipitation, nor is the 2011-2015 (4-year) CA drought.
- Different land surface (soil moisture) responses to climate change:
 - 1) Using a bivariate drought definition of 10-cm soil moisture and precipitation, droughts of all severities of the 1850-vintage become *more frequent* in the current climate.
 - 2) Using a bivariate drought definition of 1-m soil moisture and precipitation, moderate-severe droughts of the 1850-vintage become *less frequent* in the current climate.

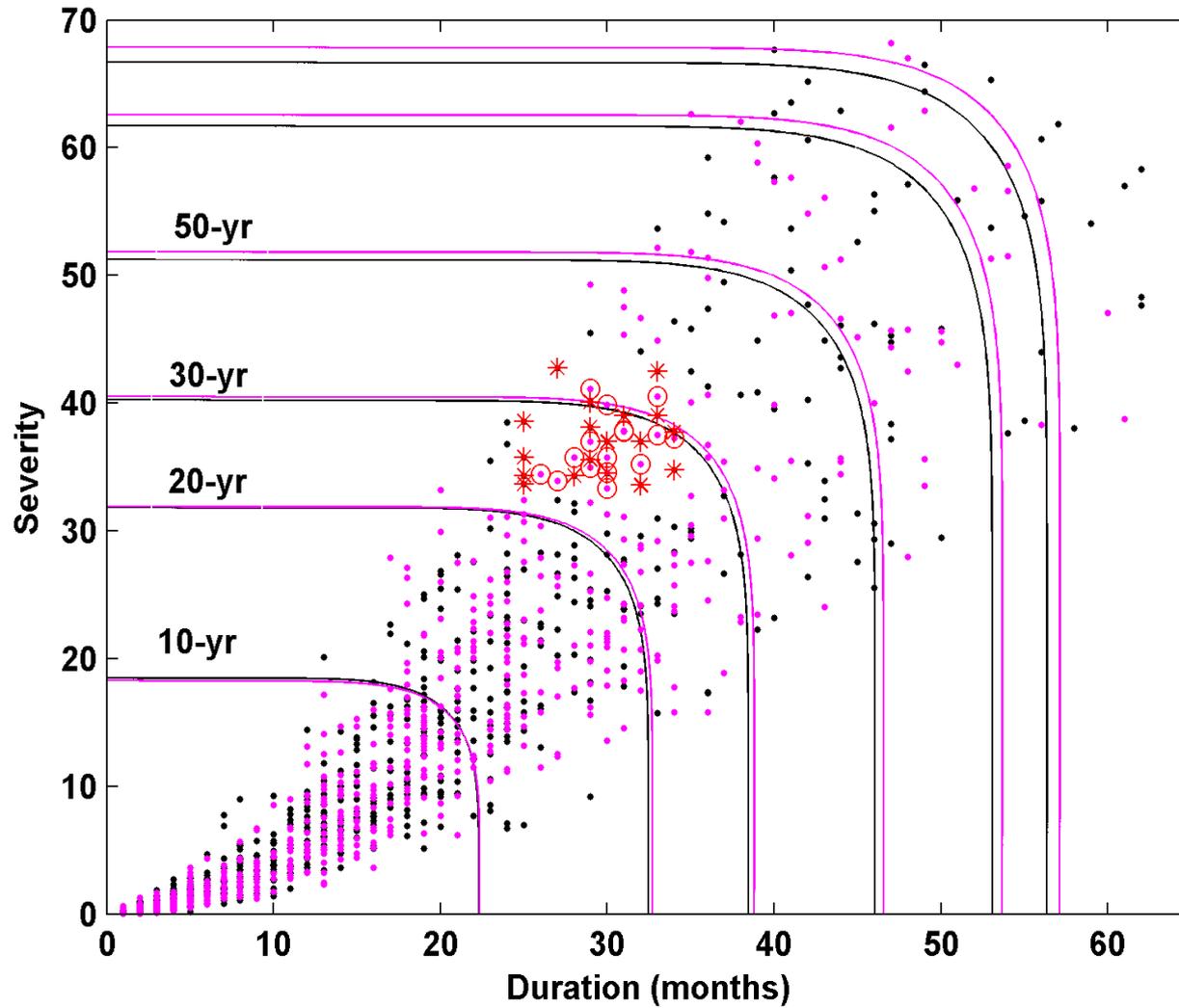


Figure 7 Joint return period of drought duration and severity; red dots are similar to observations